

Signal Control in Optical Ground-to-Space Links

Optical Uplinks from Ground Stations to Receivers in Space suffer from atmospherically induced intensity scintillations and beam pointing jitter.

These channel impairments limit the effective transmit aperture size and thus set a restriction to the link budget. Transmitter diversity helps to reduce fading but at the expense of spectral efficiency and additional power. An artificial Laser Guide Star allows better knowledge of the atmospheric index-of-refraction structure and thus - together with Adaptive Optics - complete uplink beam control seems possible in future. Another fading-reduction is withal offered from the sensitivity run of coherent- or APD-receivers in contrast to thermal-limited power detectors.

This talk introduces the different techniques which have been investigated in theory and practice by the Optical Communication Groups of DLR-IKN.



“Signal Control in Optical Ground-to-Space Links“

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Knowledge for Tomorrow



Content

- Conventional Limitation in Optical Uplink Budget
- Transmitter Diversity Solutions
- Pointing-Control through Artificial Reference Sources
- Receiver Sensitivity Characteristic
- Combination: Amplitude-linear Receiver and Diversity



Angles in the Optical Uplink Channel

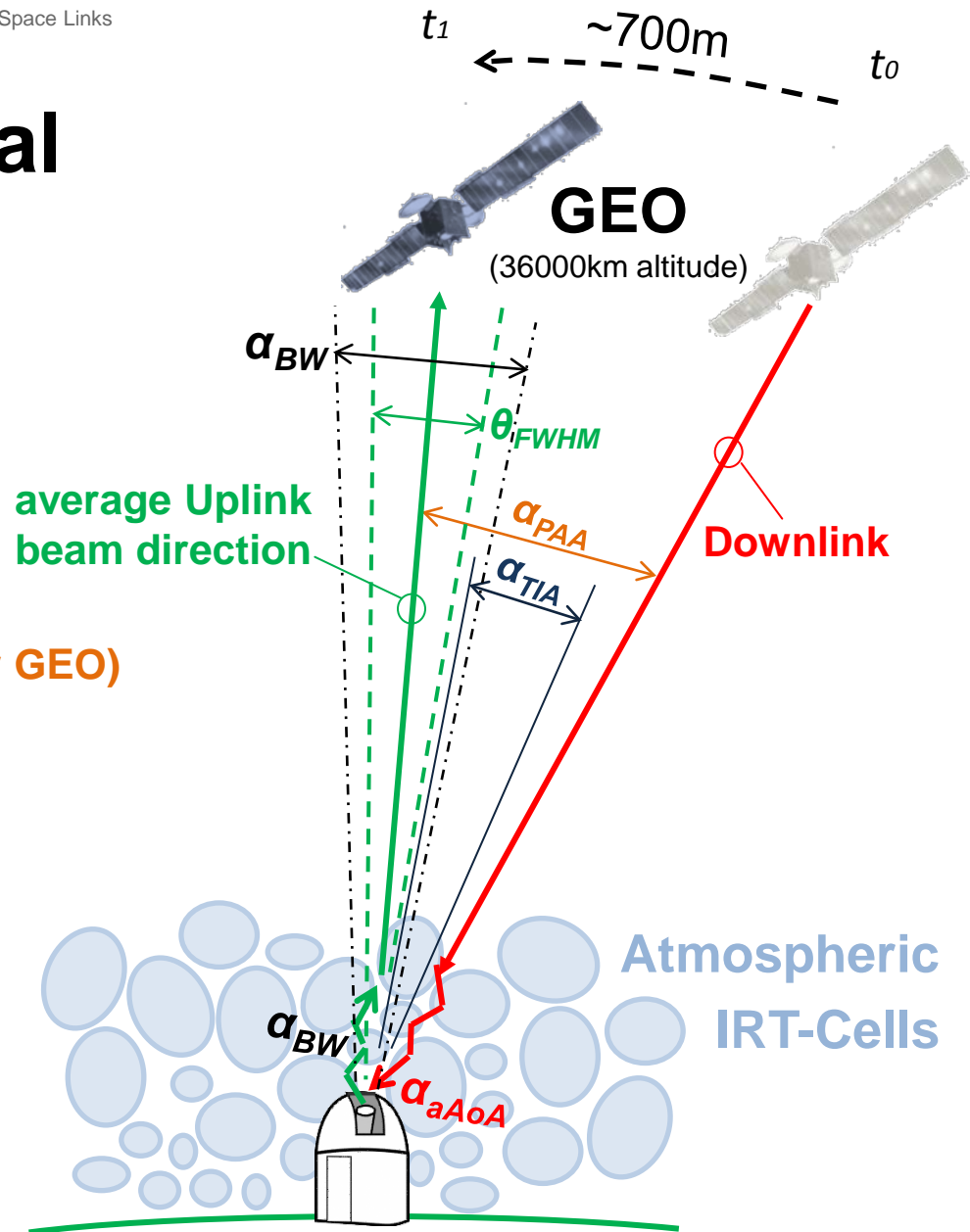
α_{aAoA} : Downlink atmos.
Angle-of-Arrival ($\sim 10\mu\text{rad}$)

α_{PAA} : Point-Ahead Angle ($\sim 18\mu\text{rad}$ for GEO)

θ_{FWHM} : Uplink Divergence
Angle ($\sim 10\mu\text{rad}$)

α_{BW} : Uplink atmos.
Beam-Wander ($\sim 10\mu\text{rad}$)

α_{TIA} : Tilt-Isoplanatic Angle
(dep. on elevation, altitude, ...)



Problem when Downlink Path \neq Uplink Path:

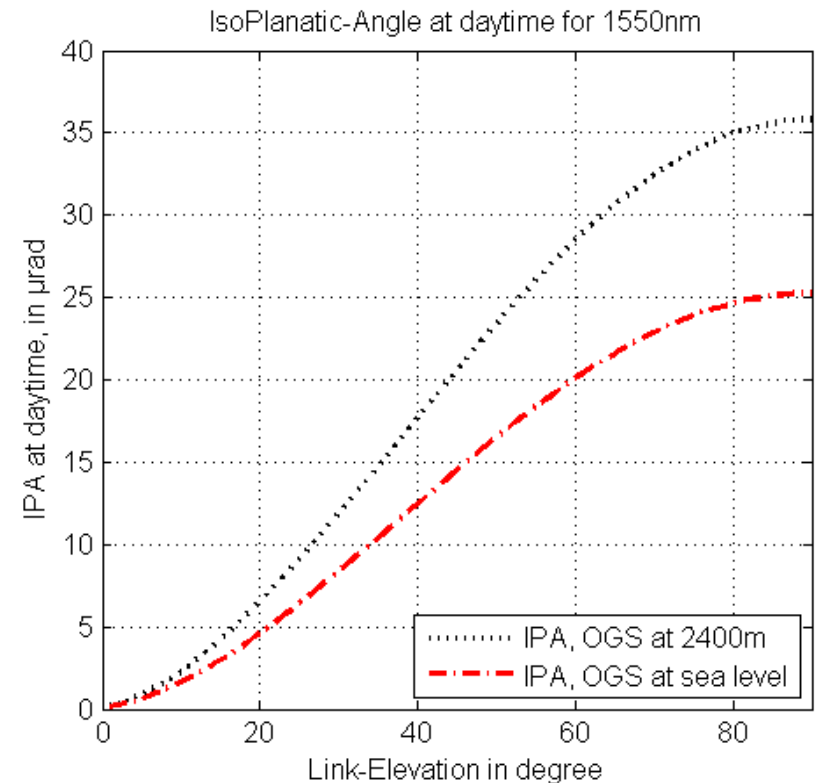
IPA < PAA prevents optimal Uplink Beam Control

- **No optimal Pointing-by-Tracking possible**
- **Uncontrollable Wavefront Distortion prevents large *effective* Uplink Tx-Apertures**



Examples of PAA Values in Zenith:

Scenario: GND to...	PAA / μ rad
LEO (600 km)	~ 50
GEO (36000 km)	17 .. 20
Moon (378 Tkm)	~ -3.7
Mars at min. distance	~ -38
Mars at max. distance	~ 159
Proxima Centauri	~ 166

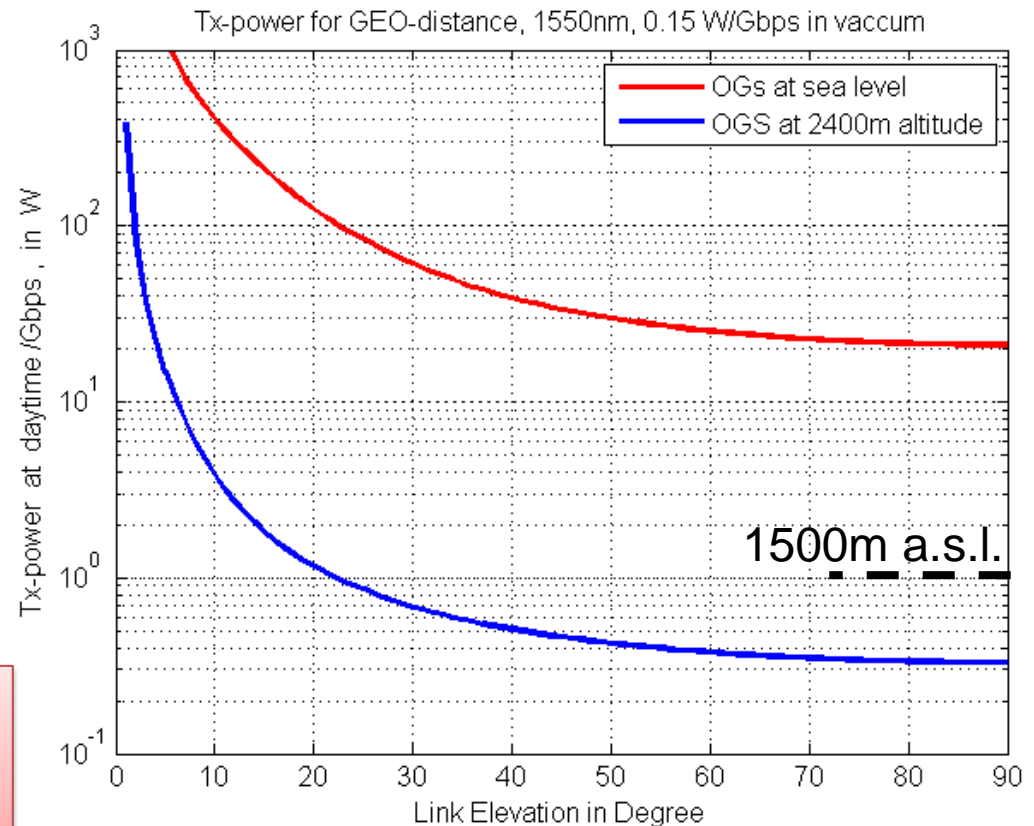


Limit of *Conventional* Linkbudget to GEO

Uplink by optimum aperture and static pointing-angle only
 → *no „Pointing-by-Tracking“*

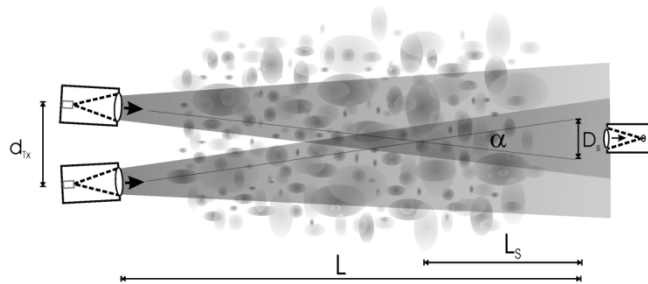
- Conditions:
 „GEO-distance without Atmosphere“:
20cm Rx, 150mW/Gbps in space
 (sensitivity from coherent LCT)
- Additional Atmospheric Losses:
 Pointing, Scintillation, enlarged
 Divergence, Atmos. Attenuation
 → optimum $D_{Tx} \sim r_0$
- 1% fading outages allowed
 (→ Erasure-FEC)

Typical Value: **1W/Gbps**
 → for **Tbps** we need **>kW** of
 Tx-Power!

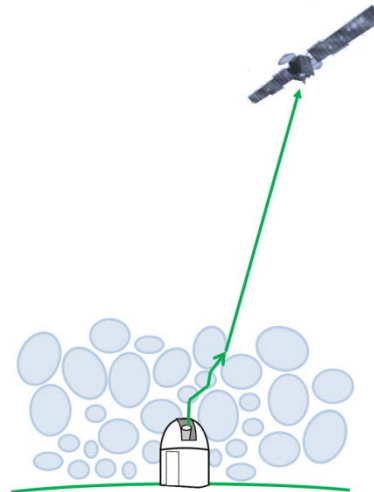


Advanced Techniques: Enhance Signal Stability by...

Tx-Diversity



Pointing
Control



Receiver
Technology

$$Q = f(P_{Rx})$$



Power Scintillation Index (PSI):

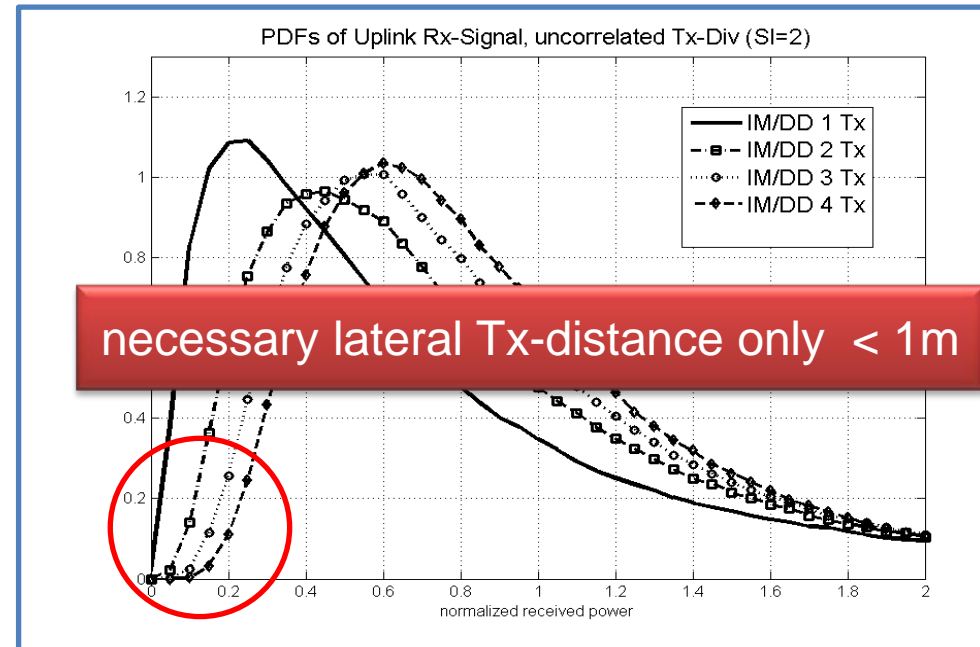
- Intensity Variation at location P has constant mean and is defined by **Intensity Scintillation Index (ISI)**, which is normalized variance over time (... or space \rightarrow ergodicity) :

$$\sigma_I^2(P) = \frac{\text{VAR}(I)}{E^2(I)} = \frac{\langle I^2(P) \rangle_t}{\langle I(P) \rangle_t^2} - 1$$

- In space-UpLinks the **Intensity**-Variations equals the received **Power** variations (no aperture averaging)

... with Tx-Diversity:

- Scintillation index with
 - k (spectrally non-overlapping) and
 - uncorrelated** sources
 - when all RVs have **same density function**

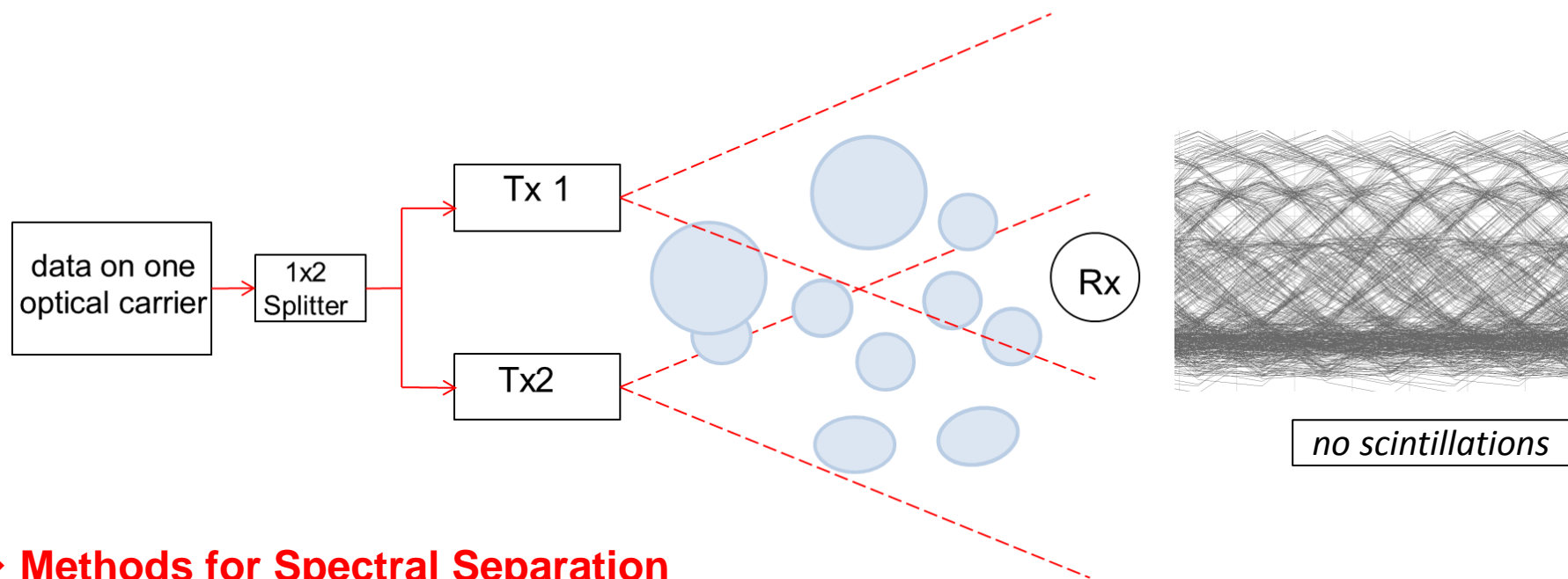


$$\sigma_I^2(X_1 + X_2 + \dots + X_k) = \frac{\text{VAR}(X_1) + \text{VAR}(X_2) + \dots + \text{VAR}(X_k)}{[E(X_1) + E(X_2) + \dots + E(X_k)]^2} \stackrel{\text{equal PDFs}}{=} \frac{k \cdot \text{VAR}(X)}{[k \cdot E(X)]^2} = \frac{\sigma_I^2(X)}{k} \quad (\text{not limited to LN-scintillation})$$



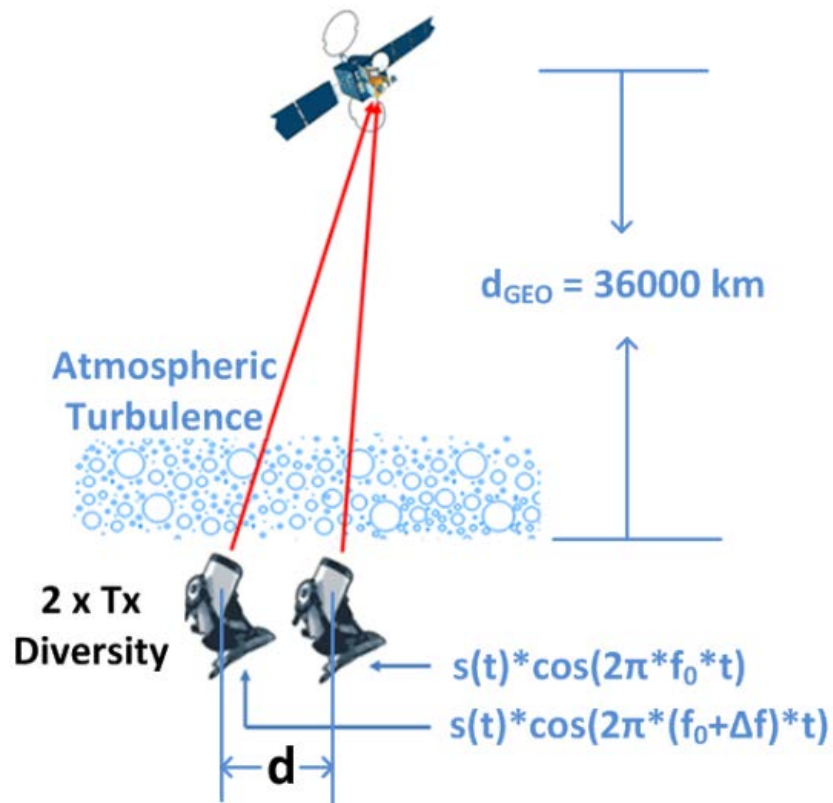
Spatial Tx-Diversity needs Channel Division to avoid interference

in the case of spectral overlap we experience destructive and constructive interference, leading to unacceptable Rx power-variations

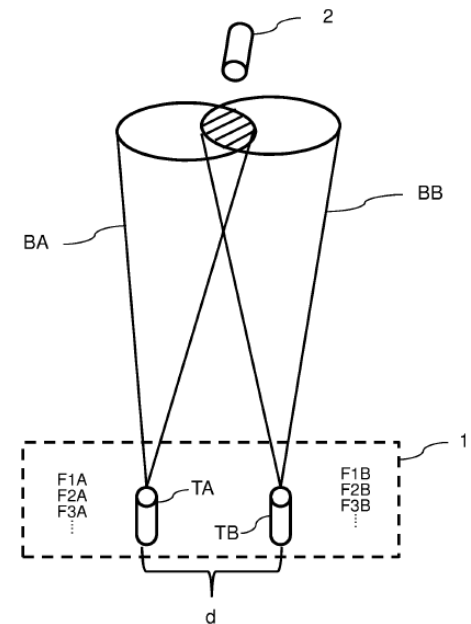


→ Methods for Spectral Separation of Tx-signals required

1) Tx-Diversity with Wavelength-Division



- avoids the spectral overlap (\rightarrow interference)
- requires no modification in Rx
- **but is spectrally inefficient**



Example for spectral-inefficiency through channel separation:

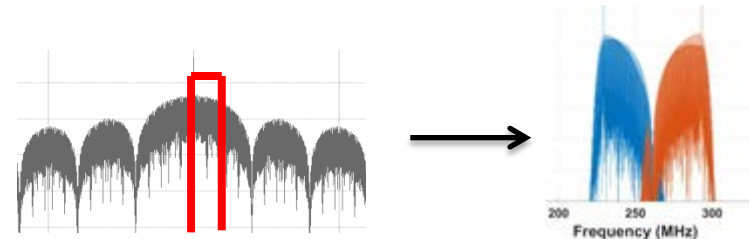
28Gbps IM/DD needs ~30GHz plus conventional filtering slopes,

with 4x Tx-Diversity this requires 200GHz/28Gbps

\rightarrow whole C- plus L-Band (8THz) can only transmit 1.1Tbps...

More Sophisticated Diversity-Division Methods:

- Dual Vestigial Single Side Band Filtering



Mata-Calvo, Giggenbach, Fuchs, Mustafa, „Fading-Mitigation bei Sender-Diversität in atmosphärisch-optischen Freistrahverbindungen mit Einseitenbanddatenmodulation“, DPA - applied

- Polarisation Division

Giggenbach, Mata-Calvo, „Diversitätsverfahren zur Minderung der Amplitudenstörungen in optischen Satelliten-Uplinks mit Überlagerungsempfang“, DPA 20130710 - applied

- Phase-Variation Division

Fuchs, Giggenbach, Mata-Calvo, "Verfahren zu optischen Breitband-Freistrahlkommunikation unter Verwendung von Sender-Diversität", DE 20 2014 219 344, German Patent Office

⋮

- Space-Time Coding (Alamouti), for Optical Links

Alamouti, "A Simple Transmit Diversity Technique for Wireless Communications", IEEE JOURNAL ON SELECT AREAS IN COMMUNICATIONS, VOL. 16, NO. 8, OCTOBER 1998

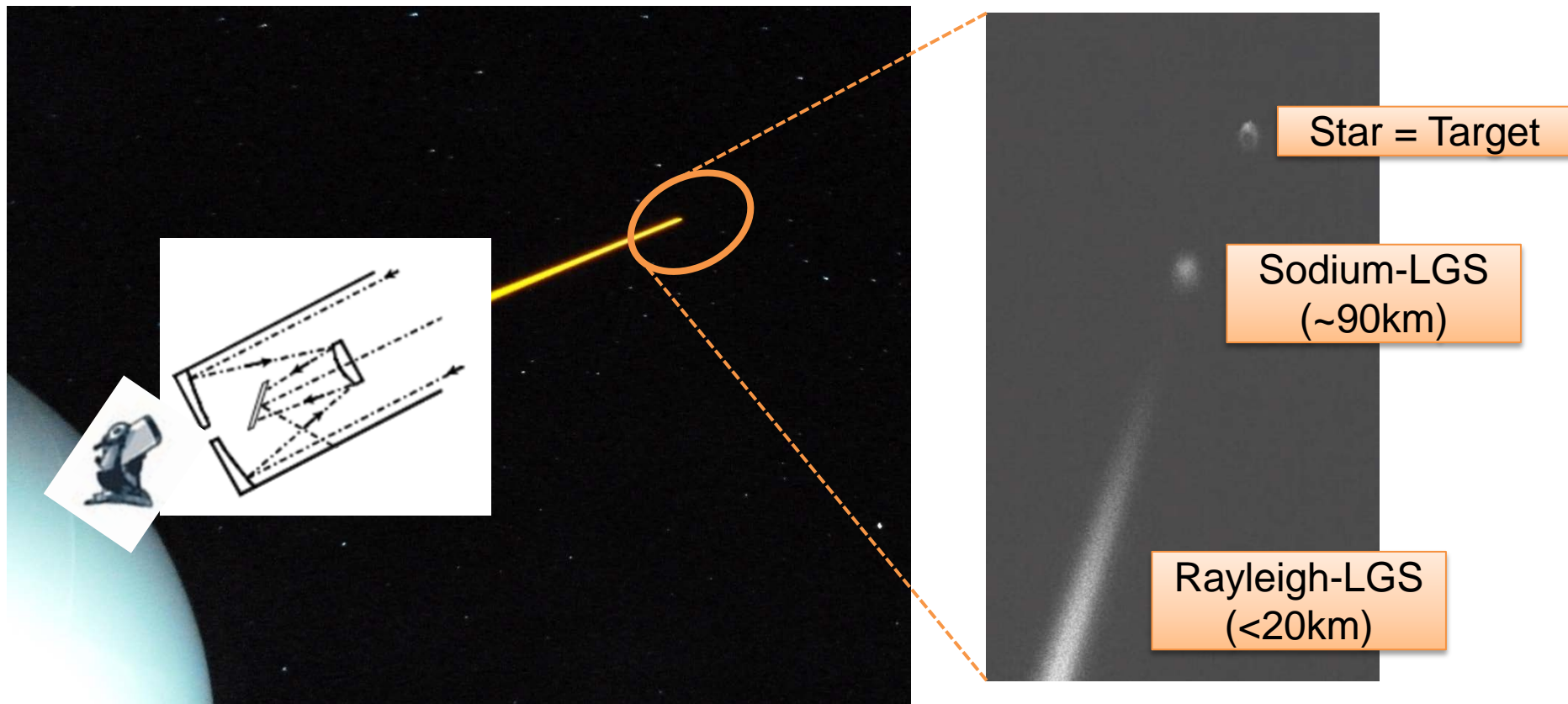
**Inherent to all Tx-Div Methods: Power-Inefficient
due to Small Tx-Apertures / Large Spots ...**

Fading Reduction without Spatial Diversity



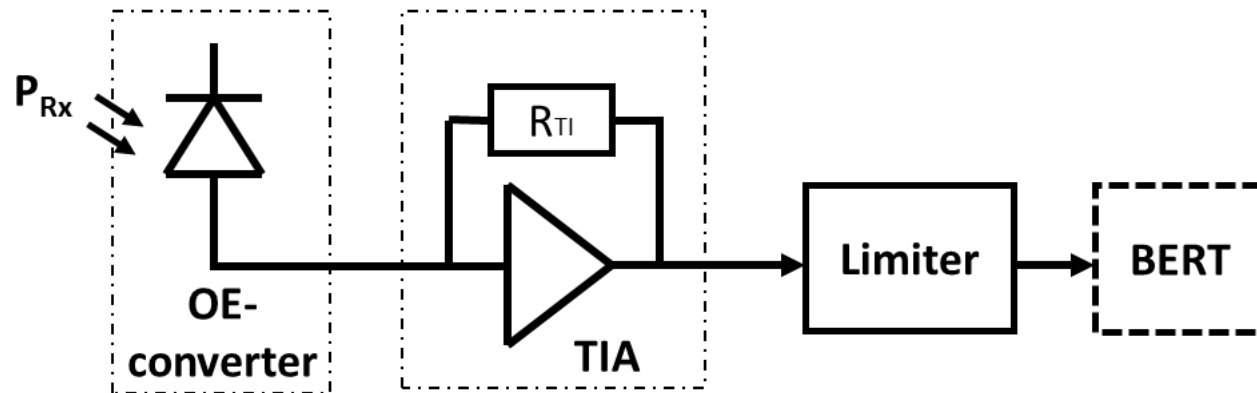
Uplink Beam Control by Pre-Distortion: requires Laser-Guide-Stars (Sodium- or Rayleigh-Backscatter)

Classical (axially observed) LGS does not see tilt



IKN participated in ESO's LGS measurement campaign on Tenerife & LaPalma

Opto-Electrical Receiver Characteristic and the Scintillating Channel



LN-Scintillation-PDF of AMPLitude and INTensity/PoWRer:

$$A(P) = A_0(P) \cdot e^{\chi(P) + j\Sigma(P)} \quad I(P) = A_0^2 \cdot e^{\Psi(P) + \Psi^*(P)} = A_0^2 \cdot e^{2\chi(P)}$$

Rytov: LogAmp χ is normally distrib.: $p(\chi) = \frac{1}{\sqrt{2\pi \cdot \sigma_\chi^2}} \cdot e^{-\left[\frac{(\chi - \mu_\chi)^2}{2\sigma_\chi^2}\right]}$

„function of a RV“

Amplitude is Log-Norm (LN) distrib.: $p(A) = \frac{1}{A \cdot \sqrt{2\pi \cdot \sigma_\chi^2}} \cdot e^{-\frac{(\ln(A) - \langle \chi \rangle)^2}{2\sigma_\chi^2}}$ $\longrightarrow \sigma_A^2 = e^{\sigma_\chi^2} - 1$

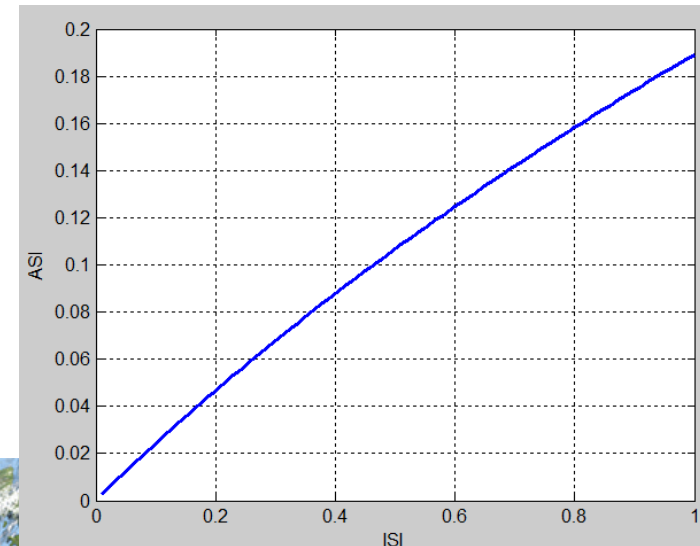
since AMP is LN \rightarrow also INT (or PWR in OGEOFL) is LN:

Intensity-PDF is also Log-Norm distr: $p(I) = \frac{1}{2 \cdot I \cdot \sqrt{2\pi \cdot \sigma_\chi^2}} \cdot e^{-\frac{\left(\ln \frac{I}{I_0} - 2\langle \chi \rangle\right)^2}{8\sigma_\chi^2}}$ $\longrightarrow \sigma_I^2 \Big|_{\mu=-2\sigma^2} = e^{4\sigma_\chi^2} - 1$

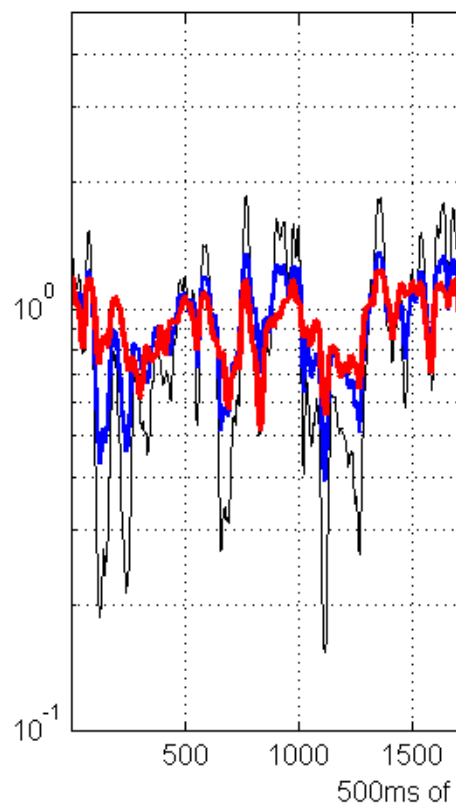
...by comparing σ_χ^2 , σ_A^2 , σ_I^2 : $\sigma_A^2 = (\sigma_P^2 + 1)^{\frac{1}{4}} - 1$

... is sensitivity-run of coherent and APD-RFEs

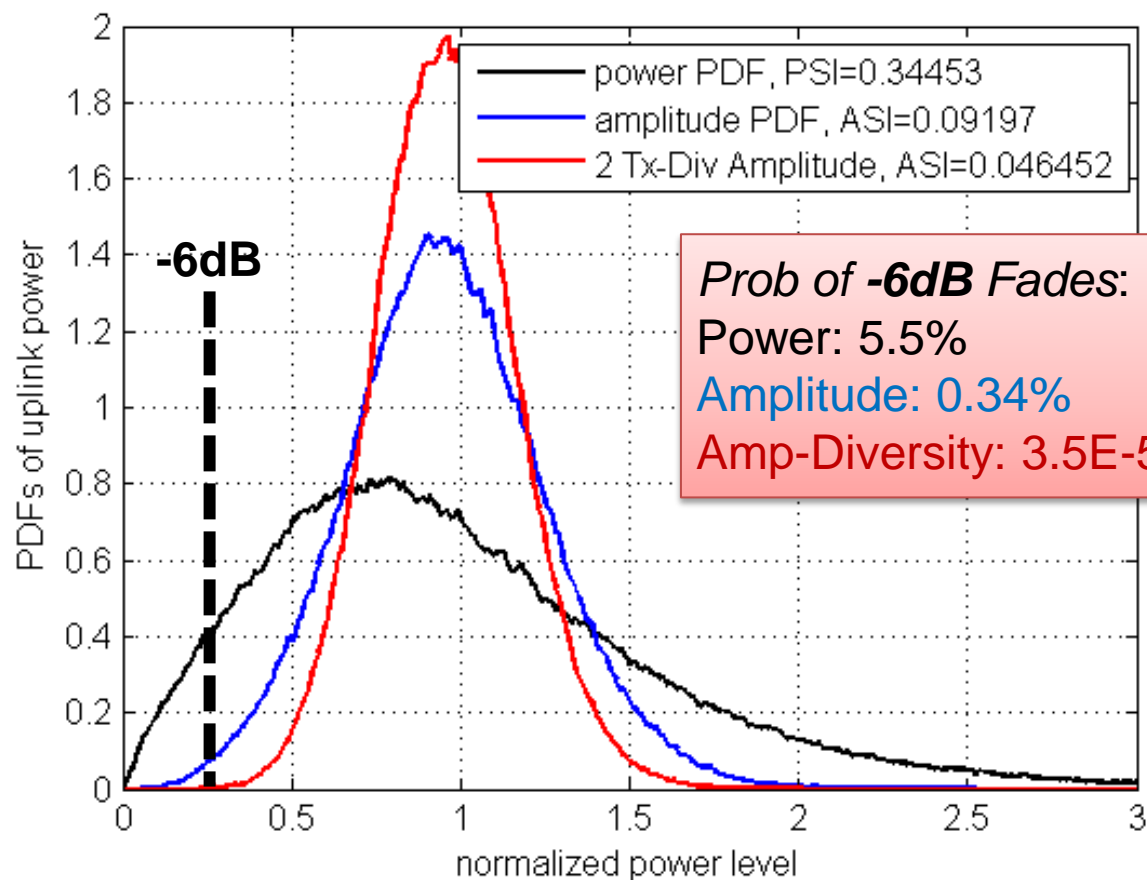
... more effective than 4x Tx-Div !




SUMMARY: Simulated Signals: 2x Amplitude-Diversity *Scintillation * Pointing-Jitter*



Simulation according to
ArtemEx - Measurements



A night sky filled with stars, with a bright yellow laser beam shining vertically from the bottom left. The beam is very bright and extends from the horizon to the top of the frame. The sky is dark with many small stars visible. The horizon is visible at the bottom, showing some faint lights and silhouettes of buildings or structures.

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